

Computational Techniques in Natural Motion Analysis and Reconstruction Application



Motion Tracking for portable biomechanic measures

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The ERGANE Project



- Ecological detection of work related pathologies
 - Workers in unstructured environments:
 - Construction
 - Craftsmanship
 - Farmers

The ERGANE Project



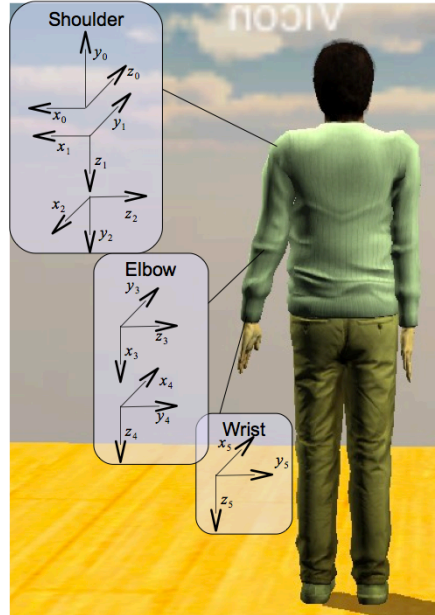
- Pathologies caused by repetitive actions with dangerous postures and loads: high impact on health and economy
- System for tracking and analysis of workers in ecological conditions
- Motion capture aided by wearable technologies
- Grasp force estimation by surface EMG matrix

MoCap: background



- Wearable sensors based motion reconstruction
 - Inertial sensor units
 - Models of human kinematics
 - Sensor fusion

- Model of the human upper limb



| Frame | a_i | α_i | d_i | ϑ_i |
|-------|----------|------------|----------|-----------------------|
| 1 | 0 | $\pi/2$ | 0 | ϑ_1 |
| 2 | 0 | $\pi/2$ | 0 | $\vartheta_2 - \pi/2$ |
| 3 | l_{ua} | 0 | 0 | $\vartheta_3 + \pi/2$ |
| 4 | 0 | $\pi/2$ | 0 | $\vartheta_4 + \pi/2$ |
| 5 | 0 | 0 | l_{fa} | ϑ_5 |

- Process model

$$\vartheta_i(k+1) = \vartheta_i(k) + T_s \dot{\vartheta}_i(k) + \frac{1}{2} T_s^2 (\ddot{\vartheta}_i(k) + \nu_k)$$

$$\dot{\vartheta}_i(k+1) = \dot{\vartheta}_i(k) + T_s (\ddot{\vartheta}_i(k) + \nu_k)$$

$$\ddot{\vartheta}_i(k+1) = \ddot{\vartheta}_i(k) + \nu_k$$

- Measurement model

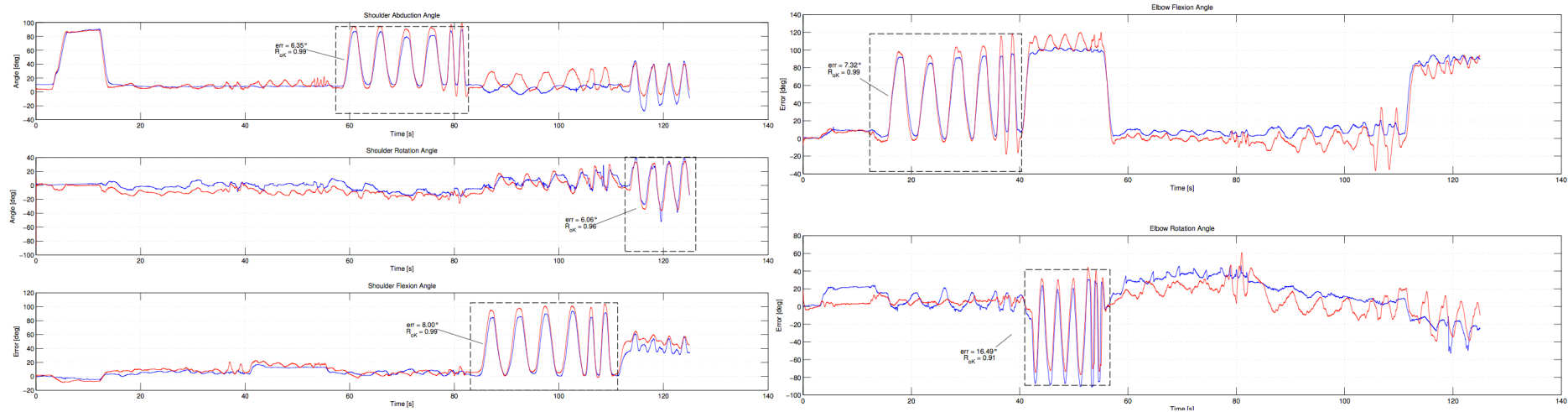
$$\omega_s^s = R_p^s (\omega_p^p + \dot{\vartheta}_{p+1} z_0)$$

$$\ddot{x}_s^s = R_p^s \ddot{x}_p^p + S(\dot{\omega}_s^s) r_{p,s}^s + S(\omega_s^s)^2 r_{p,s}^s + R_0^s g^0$$

$$m_s^s = R_0^s m^0$$

MoCap: Results

- Joint variables estimation



MoCap: Results



- RMSE and Correlation

| Joint | E_{ϑ_i} [deg] | C_{ϑ_i} |
|---------------|-------------------------|-------------------|
| ϑ_1 | 7.03 | 0.95 |
| ϑ_2 | 6.03 | 0.87 |
| ϑ_3 | 4.95 | 0.99 |
| ϑ_4 | 9.93 | 0.98 |
| ϑ_5 | 11.29 | 0.85 |

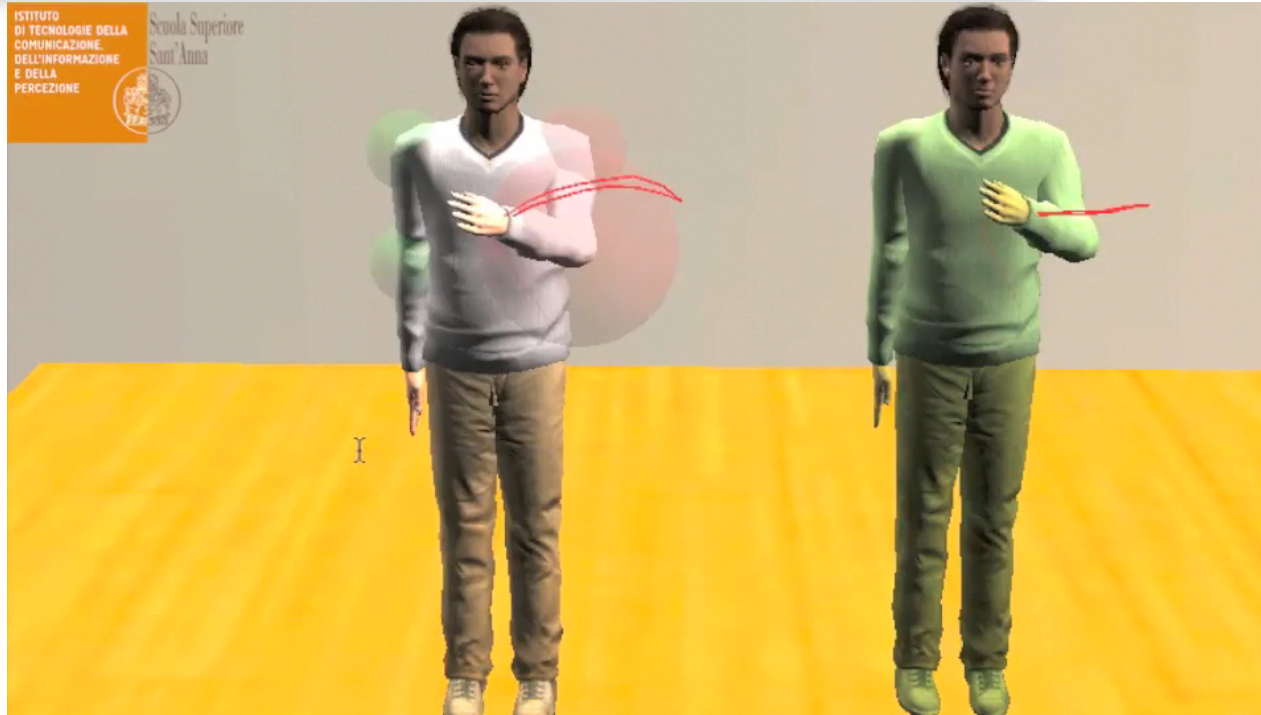
$$C_{\vartheta_i} = \frac{\sum_{j=1}^N (\vartheta_i - \bar{\vartheta}_i)(\tilde{\vartheta}_i - \bar{\tilde{\vartheta}}_i)}{\sum_N (\vartheta_i - \bar{\vartheta}_i)^2 \sum_{j=1}^N (\tilde{\vartheta}_i - \bar{\tilde{\vartheta}}_i)^2}$$

$$E_{\vartheta_i} = \frac{1}{N} \sqrt{\sum_{j=1}^N (\vartheta_i - \tilde{\vartheta}_i)^2}$$

MoCap: Results



MoCap: Results



ERGANE: Directions

- Refinement of online tracking
 - 7 DOF (submitted)
 - Position calibration (submitted)
 - Improved performance
- Integration of EMG
- Test on workers



MoCap: Further Implementations

